

<b>COURSE NUMBER:</b> Vv255	<b>COURSE TITLE:</b> Applied Calculus III
<b>Credit:</b> 4	<b>PREREQUISITES:</b> Vv156 or Vv186 or permission of instructor
<b>TEXTBOOKS/REQUIRED MATERIAL:</b> James Stewart, <i>Calculus</i> (5th edition)	<b>INSTRUCTOR:</b> Mateusz Krzyzosiak <b>DATE OF PREPARATION:</b> Sep 27, 2012 <b>DATE OF UC APPROVAL:</b> Oct. 30, 2013
<b>INSTRUCTOR(S):</b>	<b>SCIENCE/DESIGN:</b> n/a
<b>CATALOG DESCRIPTION:</b> This course covers linear systems of equations and the Gauss-Jordan algorithm; finite-dimensional vector spaces (with an emphasis on euclidean space), linear independence and bases; scalar products and Gram-Schmidt orthonormalization; linear maps and matrices; determinants; analytic geometry of lines and planes; parametric representation of curves and surfaces; partial derivatives and applications; line, surface and volume integrals; vector fields the classical theorems of vector analysis in three dimensions (Green, Gauss and Stokes) and applications.	<b>COURSE TOPICS:</b> <ul style="list-style-type: none"> <li>• Vectors, linear system, matrix algebra, inverse and determinant</li> <li>• Dot product and Orthogonality, orthogonal sets and orthogonal projections</li> <li>• Gram-Schmidt, cross product, lines and planes in <math>R^3</math></li> <li>• Vector-valued functions,</li> <li>• Arc length and curvature, motion in space</li> <li>• Functions of several variables, limits and continuity, partial derivatives</li> <li>• Linear approximations, the chain rule</li> <li>• Directional derivatives and gradient,</li> <li>• Optimization, Lagrange multiplier</li> <li>• Double integral, iterated integrals</li> <li>• Surface area, triple integral I, Triple integrals II, Jacobian</li> <li>• Vector fields, line integrals, green's theorem, curl and divergence</li> <li>• Surface integrals, Stokes's theorem, divergence theorem</li> </ul>
<b>COURSE STRUCTURE/SCHEDULE:</b> lecture (twice per week, 90 minutes each)	
<b>COURSE OBJECTIVES</b> [Course Outcomes in brackets]	<ul style="list-style-type: none"> <li>• Provide knowledge about concepts in multivariate calculus [1-7].</li> <li>• Present analytic techniques of the multivariate calculus and develop students' ability to apply them effectively in modeling of real-world problems [1-7].</li> <li>• Develop student's ability to interpret the concepts of calculus algebraically, graphically, and verbally [1-7].</li> <li>• Improve students' ability to think critically, to analyze a problem and solve it using a wide array of tools [1-7].</li> </ul>
<b>COURSE OUTCOMES</b> [Program Outcomes in brackets]	<p>After completing this course, students should be able to:</p> <ol style="list-style-type: none"> <li>1. Find patterns, generalize, and ask/answer relevant questions with mathematical thinking and reasoning.</li> <li>2. Develop a mathematical vocabulary by expressing mathematical ideas orally and in writing.</li> <li>3. Perform numeric and symbolic computations in multivariate calculus.</li> <li>4. State and apply mathematical definitions and theorems in multivariate calculus.</li> <li>5. Prove fundamental theorems in multivariate calculus.</li> <li>6. Model real-life problems mathematically using multivariate calculus.</li> <li>7. Use MATLAB to analyze and solve geometric, computational, and symbolic problems.</li> </ol>
<b>ASSESSMENT TOOLS</b> [Course Outcomes in brackets]	homework[1-7] midterm and final exams [1-7]